

IMC OTM v.22 Errata & Addendum for Units 1 and 2

Edition / Volume	Page number	Correction												
1	11	<p>‘Finally, a further levy of £1 on all purchases and sales on excess of £10,000 is charged to finance the Takeover Panel (the PTM levy).’</p> <p>Should read:</p> <p>‘‘Finally, a further levy of £1.50 on all purchases and sales on excess of £10,000 is charged to finance the Takeover Panel (the PTM levy).’</p>												
1	13	<p>‘A further levy of £1 on all purchases and sales of shares in excess of £10,000 is levied to finance the PTM levy.’</p> <p>Should read:</p> <p>‘A further levy of £1.50 on all purchases and sales of shares in excess of £10,000 is levied to finance the PTM levy.’</p>												
1	13	<table><tr><td>‘PTM levy for two trades</td><td>£2.00</td></tr><tr><td>Net cost (absolute)</td><td>£70.46</td></tr><tr><td>Net cost (percentage)</td><td>0.66%’</td></tr></table> <p>Should read:</p> <table><tr><td>‘PTM levy for two trades</td><td>£3.00</td></tr><tr><td>Net cost (absolute)</td><td>£71.46</td></tr><tr><td>Net cost (percentage)</td><td>0.67%’</td></tr></table>	‘PTM levy for two trades	£2.00	Net cost (absolute)	£70.46	Net cost (percentage)	0.66%’	‘PTM levy for two trades	£3.00	Net cost (absolute)	£71.46	Net cost (percentage)	0.67%’
‘PTM levy for two trades	£2.00													
Net cost (absolute)	£70.46													
Net cost (percentage)	0.66%’													
‘PTM levy for two trades	£3.00													
Net cost (absolute)	£71.46													
Net cost (percentage)	0.67%’													
1	25	<p>‘PDMRs and their connected persons must notify the listed company concerned and the FCA within three business days of a transaction (both sale and purchase of any value).’</p> <p>Should read:</p> <p>‘PDMRs and their connected persons must notify the listed company concerned and the FCA within four business days of a transaction (both sale and purchase of any value).’</p>												

1	95	<p>'The turnover test is met if the target company has a UK turnover of £100m or more'</p> <p>Should read:</p> <p>'The turnover test is met if the target company has a UK turnover of £70m or more'</p>												
1	271	<table border="1"> <tr> <td colspan="3">'Pensions</td></tr> <tr> <td>Annual allowance</td><td>£40,000</td><td>£60,000'</td></tr> </table> <p>Should read:</p> <table border="1"> <tr> <td colspan="3">'Pensions:</td></tr> <tr> <td>Annual allowance</td><td>£60,000</td><td>£60,000'</td></tr> </table>	'Pensions			Annual allowance	£40,000	£60,000'	'Pensions:			Annual allowance	£60,000	£60,000'
'Pensions														
Annual allowance	£40,000	£60,000'												
'Pensions:														
Annual allowance	£60,000	£60,000'												
1	306	<p>85. Given that higher-rate taxpayers prefer capital gains to income, which type of fixed income securities may pension funds prefer to avoid?</p> <p>Should read:</p> <p>85. Given that higher-rate taxpayers prefer capital gains to income, which type of fixed income securities may such an investor prefer to avoid (assume the investment is outside a tax wrapper)?</p>												
1	311	<p>'Jeremy is a higher-rate taxpayer so CGT $24,500 \times 28\%$ Answer: £6,860 (Note: tax rate = 28% as it is a sale of residential property that is not a main residence)'</p> <p>Should read:</p> <p>'Jeremy is a higher-rate taxpayer so CGT $24,500 \times 24\%$ Answer: £5,880 (Note: tax rate = 24% as it is a sale of residential property that is not a main residence)'</p>												
2	ix	<p>'8.3.2 Explain the concept of normal and subnormal levels of profit'</p> <p>Should read:</p> <p>'8.3.2 Explain the concept of normal and supernormal levels of profit'</p>												

2	21	<p>Figure 7.9</p> <p>'Mean Median Mean'</p> <p>Should read:</p> <p>'Mode Median Mean'</p>
2	35	$r = \frac{\sum Y_i \hat{Y} - n \bar{Y} \bar{\hat{Y}}}{\left[(\sum Y_i^2 - n \bar{Y}^2) (\sum \hat{Y}_i^2 - n \bar{\hat{Y}}^2) \right]^{\frac{1}{2}}}$ <p>Should read:</p> $r = \frac{\sum Y_i \hat{Y}_i - n \bar{Y} \bar{\hat{Y}}}{\left[(\sum Y_i^2 - n \bar{Y}^2) (\sum \hat{Y}_i^2 - n \bar{\hat{Y}}^2) \right]^{\frac{1}{2}}}$
2	36	<p>A simple macroeconomic forecasting equation for consumer prices index (CPI) inflation might look like this:</p> $(t + 1) = a + b = c$ <p>Should read:</p> <p>A simple macroeconomic forecasting equation for consumer prices index (CPI) inflation might look like this:</p> <p>CPI inflation next year (t + 1) = a + b (wage inflation this year, i.e. at t + c commodity price inflation this year)</p>
2	44	<p>'The second value is calculated thus:'</p> <p>Should read:</p> <p>'The second value is calculated thus:</p> <p>Second value = $100 \times \left[\left(\frac{108}{100} \right) \times \left(\frac{95}{100} \right) \right]^{1/2} = 101.29$'</p>

2	50	<p>'Now, what is the value of this deposit after three years if interest is paid annually?</p> <p>Here: $r = 0.1$;</p> <p>$T = 3$;</p> <p>$D = £100$; and</p> <p>$m = 1$.</p> <p>$D_3 = £100 \times [1 + 0.1]^3$</p> <p>$= £100 \times (1.10)^3$</p> <p>$= £100 \times 1.334 = £134.49$'</p> <p>Should read:</p> <p>'Now, what is the value of this deposit after three years if interest is paid annually?</p> <p>Here: $r = 0.1$;</p> <p>$T = 3$;</p> <p>$D = £100$; and</p> <p>$m = 1$.</p> <p>$D_3 = £100 \times [1 + 0.1]^3$</p> <p>$= £100 \times (1.10)^3$</p> <p>$= £100 \times 1.331 = £133.10$'</p>
2	160	<p>Suppose initially that good X costs £1 in the UK and US\$2 in the USA. Both countries experience a rate of inflation of 10% over the next year. The price of good X rises in the UK to £1.10 and to US\$2.20 in the USA. Now:</p> <p>$£1.10 = \text{good X} = \text{US\\$}2.20$</p> <p>Dividing through by 1.1 gives:</p> $\frac{£1.10}{1.1} = \frac{\text{US\$}2.10}{1.1}$ <p>Should read:</p> <p>Suppose initially that good X costs £1 in the UK and US\$2 in the USA. Both countries experience a rate of inflation of 10% over the next year. The price of good X rises in the UK to £1.10 and to US\$2.20 in the USA. Now:</p> <p>$£1.10 = \text{good X} = \text{US\\$}2.20$</p> <p>Dividing through by 1.1 gives:</p> $\frac{£1.10}{1.1} = \frac{\text{US\$}2.20}{1.1}$

2	177	<p>24. (a) The international Fisher effect:</p> $\frac{(1 + R_{\pounds})}{(1 + E_{(\pounds)})} = \frac{(1 + R_{\$})}{(1 + E_{(\$)})}$ $\frac{1.055}{(1 + E_{(\pounds)})} = \frac{1.04}{1.015}$ <div style="border: 2px solid red; width: 150px; height: 15px; margin: 5px auto;"></div> <p>Expected UK inflation $E_{(\pounds)} = 2.96\%$ Real interest rates should be equal in both countries. In the USA, the real rate is:</p> $x = \frac{(1 + 0.04)}{(1 + 0.015)} = 2.46\%$ <p>Thus, the UK real rate should be: $1.055 \div x = 2.96\%$</p> <p>Should read:</p> <div style="background-color: #f0f0f0; padding: 10px; margin-top: 10px;"> <p>24. (a) The international Fisher effect:</p> $\frac{(1 + R_{\pounds})}{(1 + E_{(\pounds)})} = \frac{(1 + R_{\\$})}{(1 + E_{(\\$)})}$ $\frac{1.055}{(1 + E_{(\pounds)})} = \frac{1.04}{1.015}$ <div style="border: 2px solid red; padding: 5px; margin: 5px auto;"> $\frac{1.055}{(1 + E_{(\pounds)})} = 1.0246$ $(1 + E_{(\pounds)}) = \frac{1.055}{1.0246}$ $(1 + E_{(\pounds)}) = 1.0296$ </div> <p>Expected UK inflation $E_{(\pounds)} = 2.96\%$ Real interest rates should be equal in both countries. In the USA, the real rate is:</p> $x = \frac{(1 + 0.04)}{(1 + 0.015)} = 2.46\%$ <p>Thus, the UK real rate should be: $1.055 \div x = 2.96\%$</p> </div>
2	178	<p>25. (c)</p> <p>Interest parity:</p> $(F/E) = \frac{(1 + \text{UK interest rate})}{(1 + \text{US interest rate})}$ <p>Should read:</p> <div style="border: 2px solid red; padding: 5px; margin: 10px auto; width: fit-content;"> $(E/F) = \frac{(1 + \text{UK interest rate})}{(1 + \text{US interest rate})}$ </div>

2	183	<table border="1" data-bbox="584 185 1370 331"> <tr> <th></th><th>'Small</th><th>Medium-sized</th></tr> <tr> <td>Turnover</td><td><£6.5m</td><td><£25.9m</td></tr> <tr> <td>Balance sheet total</td><td><£3.26m</td><td><£12.9m</td></tr> <tr> <td>Average number of employees</td><td><50</td><td><250'</td></tr> </table> <p>Should read:</p> <table border="1" data-bbox="584 432 1370 600"> <tr> <th></th><th>'Small</th><th>Medium-sized</th></tr> <tr> <td>Turnover</td><td><£10.2m</td><td><£36m</td></tr> <tr> <td>Balance sheet total</td><td><£5.1m</td><td><£18m</td></tr> <tr> <td>Average number of employees</td><td><50</td><td><250'</td></tr> </table>		'Small	Medium-sized	Turnover	<£6.5m	<£25.9m	Balance sheet total	<£3.26m	<£12.9m	Average number of employees	<50	<250'		'Small	Medium-sized	Turnover	<£10.2m	<£36m	Balance sheet total	<£5.1m	<£18m	Average number of employees	<50	<250'
	'Small	Medium-sized																								
Turnover	<£6.5m	<£25.9m																								
Balance sheet total	<£3.26m	<£12.9m																								
Average number of employees	<50	<250'																								
	'Small	Medium-sized																								
Turnover	<£10.2m	<£36m																								
Balance sheet total	<£5.1m	<£18m																								
Average number of employees	<50	<250'																								
2	226	<p>5. (a)</p> $ \begin{aligned} \text{Annual depreciation expense} &= \frac{\text{purchase price of machine} - \text{expected residual value}}{\text{number of years}} \\ &= \frac{£50,000 - £2,000}{4} \\ &= £12,000 \text{ per year} \\ &3 \times £12,000 \\ &= £36,000 \end{aligned} $ <p>Should read:</p> <table border="1" data-bbox="584 1126 1517 1447"> <tr> <td>Annual depreciation expense</td> <td>=</td> <td>$\frac{\text{purchase price of machine} - \text{expected residual value}}{\text{number of years}}$</td> </tr> <tr> <td></td> <td>=</td> <td>$\frac{£50,000 - £2,000}{4}$</td> </tr> <tr> <td></td> <td>=</td> <td>£12,000 per year</td> </tr> <tr> <td>Accumulated depreciation after 3 years</td> <td>=</td> <td>$3 \times £12,000$</td> </tr> <tr> <td></td> <td>=</td> <td>£36,000</td> </tr> </table>	Annual depreciation expense	=	$\frac{\text{purchase price of machine} - \text{expected residual value}}{\text{number of years}}$		=	$\frac{£50,000 - £2,000}{4}$		=	£12,000 per year	Accumulated depreciation after 3 years	=	$3 \times £12,000$		=	£36,000									
Annual depreciation expense	=	$\frac{\text{purchase price of machine} - \text{expected residual value}}{\text{number of years}}$																								
	=	$\frac{£50,000 - £2,000}{4}$																								
	=	£12,000 per year																								
Accumulated depreciation after 3 years	=	$3 \times £12,000$																								
	=	£36,000																								
2	387	$ \text{Active share} = \frac{1}{2} \left(\text{abs} \left(\sum_{i=1}^N \text{weight}_{\text{portfolio},i} - \text{weight}_{\text{benchmark},i} \right) \right) $ <p>Should read:</p> $ \text{Active share} = \frac{1}{2} \left(\sum_{i=1}^N \text{abs} \left(\text{weight}_{\text{portfolio},i} - \text{weight}_{\text{benchmark},i} \right) \right) $																								

2	406	$TE = \sqrt{\frac{\sum_{i=1}^N (R_p - R_B)^2}{N - 1}}$ $= \frac{(10 - 6)^2 + (15 - 12)^2 + (-5 - (-2))^2 + (6 - 6)^2 + (8 - 5)^2}{5 - 1}$ <p>Should read:</p> $TE = \sqrt{\frac{\sum_{i=1}^N (R_p - R_B)^2}{N - 1}}$ $= \sqrt{\frac{(10 - 6)^2 + (15 - 12)^2 + (-5 - (-2))^2 + (6 - 6)^2 + (8 - 5)^2}{5 - 1}}$
2	466	<p>'Return = $\frac{(745 - 704) \times 100}{704} = 0.07244 \times 100\% = 7.244\%$'</p> <p>Should read:</p> <p>'Return = $\frac{(745 - 704) + 10}{704} \times 100\% = 0.07244 \times 100\% = 7.244\%$'</p>
2	491	<p>'Sharpe measure_{fund B} = $\frac{R_B - R_f}{\sigma_B}$</p> <p>= $\frac{12\% - 4\%}{8\%}$</p> <p>= 1'</p> <p>Should read:</p> <p>'Sharpe measure_{fund B} = $\frac{R_B - R_f}{\sigma_B}$</p> <p>= $\frac{12\% - 4\%}{18\%}$</p> <p>= 0.44'</p>

2	520	<p>35. Quick ratio = $\frac{\text{Current assets} - \text{inventory}}{\text{Current liabilities}}$</p> <p>= $\frac{£0.5\text{m} + £1.0\text{m}}{£0.5\text{m}}$</p> <p>= 3.0</p> <p>Should read:</p> <p>Quick ratio = $\frac{\text{CASH} + \text{TRADE RECEIVABLES}}{\text{CURRENT LIABILITIES (HERE TRADE PAYABLES)}}$</p> <p>= $\frac{£0.5\text{m} + £1.0\text{m}}{£0.5\text{m}}$</p> <p>= 3.0</p>
2	522	<p>75. (d)</p> <p>Price elasticity of demand = $\frac{\% \text{ change in quantity of the good demanded}}{\% \text{ change in price}}$</p> <p>= $\frac{-20\%}{+5\%}$</p> <p>Should read:</p> <p>75. (d)</p> <p>Price elasticity of demand = $\frac{\% \text{ change in quantity of the good demanded}}{\% \text{ change in price}}$</p> <p>= $\frac{-20\%}{+5\%}$</p> <p>= -4</p>

2	524	<p>100. (a)</p> <p>Price to book ratios:</p> <p>Share A: $\frac{250p}{360p} = 0.69$</p> <p>Share B: $\frac{156p}{150p} = 1.04$</p> <p>Share C: $\frac{720p}{350p} = 9.60$</p> <p>Share D: $\frac{462p}{120p} = 3.85$</p> <p>Share A has the lowest price to book ratio.</p> <p>Should read:</p> <p>100. (a)</p> <p>Price to book ratios:</p> <p>Share A: $\frac{250p}{360p} = 0.69$</p> <p>Share B: $\frac{156p}{150p} = 1.04$</p> <p>Share C: $\frac{720p}{75p} = 9.60$</p> <p>Share D: $\frac{462p}{120p} = 3.85$</p> <p>Share A has the lowest price to book ratio.</p>
2	525	<p>Question 105. (c)</p> <p>Share C earnings per share = $\frac{\text{Earnings}}{\text{Issued share}}$</p> <p>$= \frac{£10m}{69.44m}$</p> <p>$= 69.44m$</p> <p>Should read:</p> <p>Share C earnings per share = $\frac{\text{Earnings}}{\text{Issued share}}$</p> <p>$= \frac{£10m}{69.44m}$</p> <p>$= £0.144$</p>